



A lensing study of the matter environment of galaxy pairs in CFHTLenS and its comparison to a galaxy model

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https://arxiv.org/abs/1710.09902 Simon et al., 2019, A&A, 622, 104

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T Teaser: excess mass around average galaxy pairs



Primer on weak gravitational lensing

Credit: S. Colombi



are correlated with shear

Primer on weak gravitational lensing

Iensing convergence

$$\kappa(\theta;\chi_{\rm s}) = \frac{3H_0^2 \,\Omega_{\rm m}}{2 \,c^2} \,\int_0^{\chi_{\rm s}} \,\mathrm{d}\chi \,\frac{\chi \,(\chi_{\rm s}-\chi)}{a(\chi) \,\chi_{\rm s}} \,\delta_{\rm m}(\chi \,\theta,\chi)$$

relation convergence to shear

$$\nabla_{\theta} \kappa(\theta) = \begin{pmatrix} \partial_{\theta_1} \gamma_1(\theta) + \partial_{\theta_2} \gamma_2(\theta) \\ \partial_{\theta_1} \gamma_2(\theta) - \partial_{\theta_2} \gamma_1(\theta) \end{pmatrix}$$

- low S/N of galaxy lenses demands stacking
 - $|\kappa| \sim |\gamma| \sim 1\%$



D Stacking of single lenses is a correlation function:

$$\langle \kappa(\theta_2) | \text{lens at } \theta_1 \rangle = \frac{\langle N_g(\theta_1)\kappa(\theta_2) \rangle}{\langle N_g(\theta_1) \rangle} = \langle \kappa_g(\theta_1)\kappa(\theta_2) \rangle = \overline{\kappa}(\theta_{12})$$

two-point correlator



lens number density $N_{\rm g}(\theta) := \overline{N}_{\rm g} \left[1 + \kappa_{\rm g}(\theta)\right]$ density contrast

□ Stacking of lens pairs is a 3pt-correlation function:

$$\langle \kappa(\theta_3) | \text{lenses at } \theta_1 \wedge \theta_2 \rangle = \frac{\langle N_{\mathrm{g}}(\theta_1) N_{\mathrm{g}}(\theta_2) \kappa(\theta_3) \rangle}{\langle N_{\mathrm{g}}(\theta_1) N_{\mathrm{g}}(\theta_2) \rangle} =: \overline{\kappa}_{\mathrm{pair}}(\theta_{13}, \theta_{23}; \theta_{12})$$

$$= \frac{\langle N_{\rm g}(\theta_1) N_{\rm g}(\theta_2) \kappa(\theta_3) \rangle}{\overline{N}_{\rm g}^2 [1 + \omega(\theta_{12})]} \\ = \frac{\langle [1 + \kappa_{\rm g}(\theta_1)] [1 + \kappa_{\rm g}(\theta_2)] \kappa(\theta_3) \rangle}{1 + \omega(\theta_{12})} = \frac{\langle \kappa_{\rm g}(\theta_1) \kappa_{\rm g}(\theta_2) \kappa(\theta_3) \rangle + \overline{\kappa}(\theta_{13}) + \overline{\kappa}(\theta_{23})}{1 + \omega(\theta_{12})}$$



$$\omega(\theta_{12}) = \langle \kappa_{\rm g}(\theta_1) \kappa_{\rm g}(\theta_2) \rangle$$

clustering of lenses

$\Box A connected 3pt-correlation function of galaxy pairs$ $\langle \kappa_g(\theta_1) \kappa_g(\theta_2) \kappa(\theta_3) \rangle =$

$$= \frac{1}{\overline{N}_{g}^{2}} \langle [N_{g}(\theta_{1}) - \overline{N}_{g}] [N_{g}(\theta_{2}) - \overline{N}_{g}] \kappa(\theta_{3}) \rangle$$

$$= \frac{1}{\overline{N}_{g}^{2}} \langle N_{g}(\theta_{1}) N_{g}(\theta_{2}) \kappa(\theta_{3}) \rangle - \frac{1}{\overline{N}_{g}} \langle N_{g}(\theta_{1}) \kappa(\theta_{3}) \rangle - \frac{1}{\overline{N}_{g}} \langle N_{g}(\theta_{2}) \kappa(\theta_{3}) \rangle$$

$$= [1 + \omega(\theta_{12})] \overline{\kappa}_{\text{pair}}(\theta_{13}, \theta_{23}; \theta_{12}) - \overline{\kappa}(\theta_{13}) - \overline{\kappa}(\theta_{23})$$
$$=: \overline{\Delta \kappa}_{\text{emm}}(\theta_{13}, \theta_{23}, \theta_{12})$$

"Excess mass"

vanishes for Gaussian fields



□ Galaxy-galaxy lensing...

- probes the average matter-density profile around individual galaxies (in projection);
- inferes, e.g., the average number of galaxies in matter haloes, stellar mass per halo mass;
- stacks randomly oriented lenses and thus erases all directional dependence;
- is blind towards changes in the density profile due to close-by galaxies (or any other factor);

□ Lensing by galaxy pairs or "galaxy-galaxy-galaxy lensing"...

- defines a reference direction;
- measures the change in the density profile as function of separation from another lens;
- probes the population statistics of galaxy pairs inside haloes;
- sensitive test of galaxy models;



Practical estimator of the excess mass

- 1. measure the angular clustering correlation-function of lenses;
- 2. measure the mean tangential shear around single lenses;
- 3. stack the shear around lens pairs;
- 4. compute the excess shear, and apply Kaiser & Squire (1993);





$$[1 + \omega(\theta_{12})] \overline{\kappa}_{\text{pair}}(\theta_{13}, \theta_{23}; \theta_{12}) - \overline{\kappa}(\theta_{13}) - \overline{\kappa}(\theta_{23})$$

Data: Canada-France-Hawaii Telescope Lensing Survey

photometric ugriz survey, ~95 sdeg used (Heymans et al. 2012)



Ienses: i<22.5 in two photo-z bins; stellar masses from 5x10^9 to 3x10^11 Msol; 0.5 and 0.7 per arcmin^2;

sources: i<24.7; 5.5 per arcmin^2; r-band PSF 0.66-0.82 arcsec;



Mock shear and galaxy catalogues

dark matter: Millennium Simulation; 1024 sdeg; (Springel et al. 2005; Hilbert et al. 2009);

galaxies: semi-analytical "Garching" model; (Saghiha et al. 2017; Henriques et al. 2015; Guo et al. 2011)



Results for the excess mass from our paper



☐ Mass map of (shear) residuals between forecast and CFHTLenS: some mismatch S/N~3.5



□ Is the vertical bulge of excess mass real?



More differences: second-order statistics



Conclusions

reasonable good match between SAM and CFHTLenS for the excess mass around (physical) galaxy pairs with 150-300 kpc/h separation and z<0.6 (Mstar>10^9 Msol);

weak evidence for unexpected vertical bulge of excess mass; needs to be confirmed (KiDS e.g.);

tension for clustering of lenses but very good agreement for mean matter-density profile around single lenses;

might be related to residual B-modes in the shear data or possible misaligned distribution of halo dark-matter or the IGM;

□ most lens pairs are non-physical (r>>5 Mpc/h)



Statistics of pair distances in mock data

...but mostly affects only the mean amplitude in the map



Split lens pairs into physical "true" pairs (tp) and non-physical pairs:

$$\overline{\Delta\kappa}_{\rm emm}(\theta_{13},\theta_{23};\theta_{12}) = \frac{p_{\rm tp}(1+p_{\rm tp}\omega_{\rm tp})}{1+\omega_{\rm tp}} \times \qquad \overline{\Delta\kappa}_{\rm emm}(\theta_{13},\theta_{23};\theta_{12})|_{\rm tp} + \frac{p_{\rm tp}(1-p_{\rm tp})\omega_{\rm tp}^2}{1+\omega_{\rm tp}} \times \qquad \left(\overline{\kappa}_{\rm ind}(\theta_{13}) + \overline{\kappa}_{\rm ind}(\theta_{23})\right)$$



3.0

1e-3

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The pair convergence is defined as

\overline{\Delta\kappa}(\theta_{13}, \theta_{23}; \theta_{12}) := \overline{\kappa}_{pair}(\theta_{13}, \theta_{23}; \theta_{12}) - \overline{\kappa}(\theta_{12}) - \overline{\kappa}(\theta_{13})
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scaling with true-pair fraction

 $\overline{\Delta\kappa}(\theta_{13},\theta_{23};\theta_{12}) = p_{\rm tp}\left(\overline{\kappa}_{\rm pair}(\theta_{13},\theta_{23};\theta_{12})|_{\rm tp} - \overline{\kappa}(\theta_{12}) - \overline{\kappa}(\theta_{13})\right)$

sensitivity for galaxy-model testing (from talk slides by Hananeh Saghiha, 2016)

